

(19)



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(11)

EP 1 047 215 A2

(12)

EUROPEAN PATENT APPLICATION

(43) Date of publication:

25.10.2000 Bulletin 2000/43

(51) Int. Cl.⁷: H04J 11/00

(21) Application number: 00303039.2

(22) Date of filing: 11.04.2000

(84) Designated Contracting States:

AT BE CH CY DE DK ES FI FR GB GR IE IT LI LU
MC NL PT SE

Designated Extension States:

AL LT LV MK RO SI

(30) Priority: 19.04.1999 US 294165

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(54) A method of enhancing security for the transmission of information

(57) Quasi-Walsh function systems are developed which allow multiple access as well as spectral spreading for interception and jamming prevention. Mutual interference is minimal due to orthogonal spreading. High signal hiding capability occurs by utilizing a large number of distinct orthogonal codes. An encoding algorithm is presented which allows a simple way of "keeping track" of the different systems of Quasi-Walsh systems as well as determining appropriate values for given users at specified chip values.

FIG. 2

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$$\begin{pmatrix} 1 & 1 \\ 1 & -1 \end{pmatrix} \begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix} = H^* D_0 = Q_0 = \begin{pmatrix} 1 & 1 \\ 1 & -1 \end{pmatrix}$$

$$\begin{pmatrix} 1 & 1 \\ 1 & -1 \end{pmatrix} \begin{pmatrix} 1 & 0 \\ 0 & -1 \end{pmatrix} = H^* D_1 = Q_1 = \begin{pmatrix} 1 & -1 \\ 1 & 1 \end{pmatrix}$$

$$\begin{pmatrix} 1 & 1 \\ 1 & -1 \end{pmatrix} \begin{pmatrix} -1 & 0 \\ 0 & 1 \end{pmatrix} = H^* D_2 = Q_2 = \begin{pmatrix} -1 & 1 \\ -1 & -1 \end{pmatrix}$$

$$\begin{pmatrix} 1 & 1 \\ 1 & -1 \end{pmatrix} \begin{pmatrix} -1 & 0 \\ 0 & -1 \end{pmatrix} = H^* D_3 = Q_3 = \begin{pmatrix} -1 & -1 \\ -1 & 1 \end{pmatrix}$$

2^{2^n} .

Moreover, the same D_k can occur numerous times in a single realization, thereby making a potentially large period for a resulting Pseudo Noise (PN) type sequence. The unique matrix D_k , post-multiplies H to give $Q_k = H D_k$. See FIG. 2 depicting an example of four possible systems of Quasi-Walsh functions Q_k derived using the diagonal matrices D_k of FIG. 1. Accordingly, the i^{th} user is provisioned always the same i^{th} row, however, it very likely comes from different Quasi-Walsh systems for each information bit transmitted. To an observer without knowledge of the formula for isometry generation, the resulting string of Quasi-Walsh functions seems random, thus hard to intercept.

[0007] Generalization to support larger than 2^n users is straightforward. We illustrate here the approach for supporting $2^{(n+1)}$ users; generalization to support users in excess of this follows the same logic. For each bit k , two D matrices are chosen, D_k^1 and D_k^2 such that all the Quasi-Walsh functions they produce are "almost orthogonal" with each other. The first 2^n users will be assigned Quasi-Walsh functions from Q_k^1 as described before and the next 2^n users from Q_k^2 .

[0008] For any specific bit, the i^{th} user is assigned the i^{th} row involving Quasi-Walsh functions Q_k , whereas the b^{th} user is assigned the b^{th} row involving the same Quasi-Walsh functions Q_k . As a consequence, no mutual interference occurs since these codes are orthogonal. Thus, just like in a maximal length large shift register PN sequence, a long Quasi-Walsh type PN sequence can result across successive bits. This sequence of successive bits has all the signal hiding benefits as does a shift register sequence. In other words, the Quasi-Walsh functions Q_k are changed across successive bits using an index, wherein the index may be determined using a PN sequence, an algorithm, a mathematical function, a known sequence, etc. Additionally, it has the added benefit of orthogonality resulting in ease of multiple access and acquisition. The length of the Quasi-Walsh PN sequence, before it repeats is a function of the length of the random number generator each of which determines the isometry of D_k . As an added degree of randomness the i^{th} user at each bit may use a row other than the i^{th} . The actual row involving the Quasi-Walsh functions Q_k can change (using another pseudo random number generator).

[0009] For a given $2^n \times 2^n$ Walsh Hadamard matrix H ,

2^{2^n}

distinct systems of Quasi-Walsh functions occur due to post multiplication by distinct diagonal isometrics D_k . The diagonal entries in these matrices will be inter-

preted in binary by replacing the minus ones on the diagonal by zeros. As a result, each distinct D_k can be represented by an integer between 0 and

5 $(2^{2^n} - 1)$.

Thus encoding, and correspondingly the decoding can be efficiently represented by the specific index k associated with each bit.

[0010] As a simplified illustration, consider the following example: In R2, two chips are used per single bit of information, and two users will be considered. In this case, $n = 1$. Four distinct diagonal orthogonal matrices arise, as shown earlier in FIG. 1. When each of these matrices D_k are applied to the Walsh-Hadamard matrix H by post multiplication, the systems of Quasi-Walsh functions Q_k shown in FIG. 2 are found.

[0011] To illustrate that for any realization consisting of all possible diagonal matrix isometries an equal number of ones and minus ones occur, consider the following. Referring to the previous illustration, for each of the four bits of information transmitted, a diagonal matrix isometry is utilized. Suppose that an index specifies the isometries D_k in the following order: D_0 , D_1 , D_2 , and D_3 . Accordingly, the two chips used for modulating each bit transmitted are shown in FIG. 3. Note the equal number of 1 and -1 combinations both for User0 and User1.

[0012] The present invention is applicable to both Sylvester and non-Sylvester types. This permits operating in a non 2^n (n , integer) Real space. The present invention is also applicable among non-orthogonal systems of Quasi-Walsh functions Q . Post multiplying Q by a permutation matrix P yields a generalized system of Quasi-Walsh function Q^G , i.e., $Q^G = H D P$. Note that here P has the same dimension (i.e., $m \times m$) as H and D . Since, there are $m!$ distinct P s, the overall system of Q^G increases by $m!$ when compared to the system of Quasi-Walsh functions Q , improving the probability of finding cross system, low correlation generalized system of Quasi-Walsh functions, thereby yielding minimum mutual interference.

[0013] The process described above for assigning Quasi-Walsh functions works in the same manner for generalized systems of Quasi-Walsh functions Q^G , where $Q^G_j = H D_k P_x$. Where $k = 1$ to m (not necessarily equal to 2^n) and $x = 1$ to $m!$. Thus the specific generalized systems of Quasi-Walsh functions is defined by j , which is a function of the two-valued tuple $\{k, x\}$. Thus information hiding can be accomplished by the two-dimensional index or tuple $\{k, x\}$, enhancing information-hiding properties. In one realization, as described above each user would use the same specific row vector across all bits with each user using a different row with respect to each other. In this specific realization, spreading sequence for bit j would be selected from Q^G_j . Thus encoding, and correspondingly the

FIG. 1

$$\begin{array}{c}
 \frac{10}{\underline{10}} \\
 \left(\begin{array}{cc} 1 & 0 \\ 0 & 1 \end{array} \right) = Q0 \\
 \left(\begin{array}{cc} 1 & 1 \\ 1 & -1 \end{array} \right) \left(\begin{array}{cc} 1 & 0 \\ 0 & 1 \end{array} \right) = H^*D0 = Q0 = \left(\begin{array}{cc} 1 & 1 \\ 1 & -1 \end{array} \right) \\
 \frac{20}{\underline{20}} \\
 \left(\begin{array}{cc} 1 & 0 \\ 0 & -1 \end{array} \right) = D1 \\
 \left(\begin{array}{cc} 1 & 1 \\ 1 & -1 \end{array} \right) \left(\begin{array}{cc} 1 & 0 \\ 0 & -1 \end{array} \right) = H^*D1 = Q1 = \left(\begin{array}{cc} 1 & -1 \\ -1 & 1 \end{array} \right) \\
 \left(\begin{array}{cc} -1 & 0 \\ 0 & 1 \end{array} \right) = D2 \\
 \left(\begin{array}{cc} -1 & 1 \\ 1 & -1 \end{array} \right) \left(\begin{array}{cc} -1 & 0 \\ 0 & 1 \end{array} \right) = H^*D2 = Q2 = \left(\begin{array}{cc} -1 & 1 \\ -1 & -1 \end{array} \right) \\
 \left(\begin{array}{cc} -1 & 0 \\ 0 & -1 \end{array} \right) = D3 \\
 \left(\begin{array}{cc} -1 & 1 \\ 1 & -1 \end{array} \right) \left(\begin{array}{cc} -1 & 0 \\ 0 & -1 \end{array} \right) = H^*D3 = Q3 = \left(\begin{array}{cc} -1 & -1 \\ -1 & 1 \end{array} \right)
 \end{array}$$

FIG. 2

$$\begin{array}{c}
 \frac{10}{\underline{10}} \\
 \left(\begin{array}{cc} 1 & 1 \\ 1 & -1 \end{array} \right) \left(\begin{array}{cc} 1 & 0 \\ 0 & 1 \end{array} \right) = H^*D0 = Q0 = \left(\begin{array}{cc} 1 & 1 \\ 1 & -1 \end{array} \right) \\
 \left(\begin{array}{cc} 1 & 1 \\ 1 & -1 \end{array} \right) \left(\begin{array}{cc} 1 & 0 \\ 0 & -1 \end{array} \right) = H^*D1 = Q1 = \left(\begin{array}{cc} 1 & -1 \\ -1 & 1 \end{array} \right) \\
 \left(\begin{array}{cc} -1 & 1 \\ 1 & -1 \end{array} \right) \left(\begin{array}{cc} -1 & 0 \\ 0 & 1 \end{array} \right) = H^*D2 = Q2 = \left(\begin{array}{cc} -1 & 1 \\ -1 & -1 \end{array} \right) \\
 \left(\begin{array}{cc} -1 & 1 \\ 1 & -1 \end{array} \right) \left(\begin{array}{cc} -1 & 0 \\ 0 & -1 \end{array} \right) = H^*D3 = Q3 = \left(\begin{array}{cc} -1 & -1 \\ -1 & 1 \end{array} \right)
 \end{array}$$

FIG. 3
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FOR USER 0: $\begin{bmatrix} 1 & 1 \end{bmatrix}, \begin{bmatrix} 1 & -1 \end{bmatrix}, \begin{bmatrix} -1 & 1 \end{bmatrix}, \begin{bmatrix} -1 & -1 \end{bmatrix}$
 FOR USER 1: $\begin{bmatrix} 1 & -1 \end{bmatrix}, \begin{bmatrix} 1 & 1 \end{bmatrix}, \begin{bmatrix} -1 & -1 \end{bmatrix}, \begin{bmatrix} -1 & 1 \end{bmatrix}$

Bit 1	Bit 2	Bit 3	Bit 4
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PATENT COOPERATION TREATY

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619372-0 091730,697

IMPORTANT NOTIFICATION

International application No.
PCT/US01/46371International filing date (day/month/year)
04 Dec 2001Priority date (day/month/year)
05 Dec 2000Applicant
GOSSETT, CARROLL, PHILIP

1. The applicant is hereby notified that this International Preliminary Examining Authority considers the following date as the date of receipt of the demand for international preliminary examination of the international application:

06 JUL 2002

2. That date of receipt is:

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3. **ATTENTION:** That date of receipt is AFTER the expiration of 19 months from the priority date. Consequently, the election(s) made in the demand does (do) not have the effect of postponing the entry into the national phase until 30 months from the priority date (or later in some Offices) (Article 39(1)). Therefore, the acts for entry into the national phase must be performed within 20 months from the priority date (or later in some Offices) (Article 22). For details, see the *PCT Applicant's Guide*, Volume II.

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